Prof. Dr.-Ing. M.Schmiechen

To whom it may concern

Powering performance of a bulk carrier during speed trials in ballast condition reduced to nominal no wind condition

MS 1305081300 1401221400 1404011700

MS 140910140 Correction of the labels of the plot of propulsive efficiencies reported, traditionally identified from model tests according to Dr. Hollenbach!

Preface

Preamble

The present analysis of a powering trial is **an upgraded version of the first of my 'post-ANONYMA trial evaluations' published earlier as PATE_01.** For the whole context and for more details the Conclusions of PATE_01 should be referred to!

Data provided

The powering trial analysed according to the rational procedure promoted is one of the reference cases of an ongoing research project. As usual only the anonymised data, just mean values of measured quantities and crude estimates of wind and waves, have been made available for the analysis.

Further, for comparison with the evaluation according to an unspecified, more or less traditional procedure, few results have been provided.

Rational evaluation

The following analysis is solely based on extremely simple propeller, current and environment conventions and on the mean data reported, though without their confidence ranges. No prior data and parameters will be used, particularly not those derived from corresponding model tests. Thus the procedure and its results are as transparent and observer independent as necessary for the rational resolution of 'conflicts' of any type!

Subsequent trustworthy predictions (!) of the powering performance at loading conditions and sea states differing from those prevailing during the trials are *not* subject of this exercise. But in the Conclusions at the end of PATE_01 serious doubts concerning any traditional convention based on prior data are being expressed and future solutions are being outlined.

'Disclaimer'

In spite of utmost care the following evaluation, in the meantime a document of more than thirty pages, may still contain mistakes. The author will gratefully appreciate and acknowledge any of those brought to his attention, so that he may correct them.

References

→ Reference:C:\PATEs\PATE_00.2.mcd

General remarks Concepts Names Symbols Remarks Units Routines

Trial identification Identify trial and evaluation

TID := "01.2"

EID := concat("PATE_",TID)

 $EID = "PATE_01.2"$

draft aft

'Constants'

D _P := $7.05 \cdot m$	$D_P := D_P \cdot \frac{1}{m}$	diameter of propeller
h _S := 3.85 · m	$h_{S} := h_{S} \cdot \frac{1}{m}$	height of shaft above base

1

Trials conditions

$$T_{aft} = 7.42 \cdot m$$
 $T_{aft} = T_{aft} \cdot \frac{1}{m}$

Nominal propeller submergence

h p.Tip := h S +
$$\frac{D P}{2}$$
 h p.Tip = 7.375

^s P.Tip = T aft - h P.Tip $\frac{$ s P.Tip = 0.045

At this small nominal submergence and the sea state reported the propeller may have been ventilating even at the down wind conditions.

Wave

$$\Psi \text{ WaveH} \coloneqq \begin{bmatrix} 5\\175\\175\\5\\5\\175\\175\\175\\175\\175\\5 \end{bmatrix} \cdot \text{ Water depth} \\ d_{\text{ Water}} \coloneqq 65 \cdot \text{m}$$

Mean values reported

For ready reference the matrices of the mean values of the measured magnitudes, alias 'quantities', are printed here and converted to SI Units. Further down intermediate results are printed as well to permit checks of plausibility.

It is noted here explicitly, that no confidence radii of the mean values have been reported.

Day time	e	Heading				Rel. wind	veloc	rity	Rel. wind	directi	on
time :	5 21	1	[180]			35			5	
	5 48		0				11			160	
	6 04		0				11			160	
	6 28		180			35			5		
	6 44		180				41			5	
	77))(0	∙deg	V	10	kts)/(, '=	160	·deg	
time -	7 25	Ψ HG $^{-}$	0			v HA	10	ΨΗΑ	Ψ ΗΑ	155	ueg
	7 46		180				42		5		
	8 10		180				44			5	
	8 29		0				8			165	
	8 41		0				7		160		
	95]	180]			45			0	
Shaft fre	equency	Me	asurec	l shaft	power	Ship	spee	d over gro	ound		
	52.47]	ſ	. 1924]			6.657			
	52.47			1758				8.210			
	66.58			3232	232 539 358			11.044			
	66.60			3639			7.967				
N s :=	82.26			6358			11.442				
	82.27	1 P.		6038	.ĿW	W V	(G ^{:=}	14.018	.ktc		
	94.85	min	9: 9: 9	9344	9344 W V H 9730 12425 12055	• Н		15.784	'Kt5		
	94.86			9730		13.04 14.25	13.049				
	102.81			12425			14.256				
	102.88			12055				17.152 17.380			
	104.89			12778							
	104.87			13248]			14.211			

Further it is mentioned here, that in Mathcad the operational indices standardly start from zero as usual in mathematics and thus in the mathematical subroutines available in the Numericl Recipes subroutine package. Thus the possible change of the standard, resulting in intransparent code, is not a viable choice..

'Duration' of measurements

 $s_{\text{mean}} := \frac{s_{\text{mean}}}{m}$ s mean := 1 nm Distances sailed at each run

> Sailing the same distance at different speeds, here one nautical mile, is in accordance with the name 'miles runs', in German 'Meilen-Fahrten', but has the disadvantage, that the average values derived from the sampled values have wider confidence ranges at the higher speeds.

> > sec hr

'Non-dimensionalise' magnitudes

$$V_{HA} := V_{HA} \cdot \frac{\sec}{m}$$
 $N_S := N_S \cdot \sec$ $P_S := P_S \cdot \frac{1}{MW}$ $V_{HG} := V_{HG} \cdot \frac{\sec}{m}$

Times of measurements

ni := last(time^{<0>}) i := 0.. ni
dur_i :=
$$\frac{s}{V} \frac{mean}{HG_i}$$
 t := time^{<0>} + time^{<1>} $\frac{min}{hr} + \frac{dur}{2}$
t_m := mean(t) $\Delta t := t - t_m$

.

Normalise data

At this stage for preliminary check of consistency only!

$$J_{HG_{i}} \coloneqq J(D_{P}, V_{HG_{i}}, N_{S_{i}}) \quad K_{P.O_{i}} \coloneqq KP(\rho, D_{P}, P_{S_{i}}, N_{S_{i}})$$

Sort runs

$$S := \text{Sort}_{\text{runs}} \left(J_{\text{HG}}, K_{\text{P,o}}, \psi_{\text{HG}} \right)$$

$$J_{\text{G.up}} := S^{<0>} \qquad K_{\text{P.up}} := S^{<1>} \qquad J_{\text{G.do}} := S^{<2>} \qquad K_{\text{P.do}} := S^{<3>}$$

$$J_{\text{G.up}} := S^{<0>} \qquad K_{\text{P.do}} := S^{<3>}$$

$$J_{\text{G.do}} := S^{<2>} \qquad K_{\text{P.do}} := S^{<3>}$$

$$I_{\text{G.do}} := S^{<2>} \qquad K_{\text{P.do}} := S^{<3>}$$

$$I_{\text{G.do}} := S^{<2>} \qquad K_{\text{P.do}} := S^{<3>}$$

$$I_{\text{G.do}} := S^{<2>} \qquad K_{\text{P.do}} := S^{<3>}$$

Scrutinise data



Evidently the values at the first double run are outliers eliminated without further study of possible reasons in PATE_01.1. In the traditional evaluation the values at the first two double runs, i. e. the first four data sets have been ignored. For ready comparison of results the same data set is being used here.

Outlying data eliminated

ne := 4ni := last(t) - nei := 0.. ni
$$\Delta t_{red_i} := \Delta t_{i+ne}$$
 $\Psi HG.red_i := \Psi HG_{i+ne}$ $V HA.red_i := V HA_{i+ne}$ $\Delta t := \Delta t_{red}$ $\Psi HG := \Psi HG.red$ $V HA := V HA.red$ N S.red_i := N S_{i+ne} $P S.red_i := P S_{i+ne}$ $V HG.red_i := V HG_{i+ne}$ N S := N S.red $P S := P S.red$ $V HG := V HG.red$

Normalise reduced data

$$J_{HG_{i}} \coloneqq J(D_{P}, V_{HG_{i}}, N_{S_{i}}) \qquad K_{P_{i}} \coloneqq KP(\rho, D_{P}, P_{S_{i}}, N_{S_{i}})$$

$$S \coloneqq Sort_runs(J_{HG}, K_{P}, \psi_{HG})$$

$$J_{HG.up} \coloneqq S^{<0>} \qquad K_{P.up} \coloneqq S^{<1>} \qquad J_{HG.do} \coloneqq S^{<2>} \qquad K_{P.do} \coloneqq S^{<3>}$$

$$J_{HG.up} = \begin{bmatrix} 0.609\\ 0.602\\ 0.607\\ 0.593 \end{bmatrix} \qquad K_{P.up} = \begin{bmatrix} 0.138\\ 0.138\\ 0.138\\ 0.139 \end{bmatrix} \qquad J_{HG.do} = \begin{bmatrix} 0.746\\ 0.729\\ 0.730\\ 0.725 \end{bmatrix} \qquad K_{P.do} = \begin{bmatrix} 0.131\\ 0.132\\ 0.134\\ 0.134 \end{bmatrix}$$

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Read results of PATE_01.1

for ready comparison with the results of the foregoing analysis of the trial ignoring only the data of the first double run, different from the traditional analysis!

```
Record 01 1 := READPRN("Results_PATE_01.1")
```

 $\begin{bmatrix} \text{Internal}_{rat.01.1} & \text{Final}_{rat.01.1} & \text{Internal}_{trad.01.1} & \text{Final}_{trad.01.1} \end{bmatrix} \coloneqq \text{Record}_{01.1} \\ \begin{bmatrix} \text{Res}_{sup.01.1} & \text{Res}_{req.01.1} \end{bmatrix} \coloneqq \text{Internal}_{rat.01.1} \\ \begin{bmatrix} \Delta P \text{ S.sup.01.1} & v \text{ 01.1} & V \text{ WG.01.1} \\ V \text{ HW.01.1} & p \text{ 01.1} & P \text{ S.sup.01.1} \\ J \text{ HW.01.1} & p \text{ n.01.1} & K \text{ P.sup.01.1} \end{bmatrix} \coloneqq \text{Res}_{sup.01.1} \\ \begin{bmatrix} \Delta P \text{ S.req.01.1} & q \text{ 01.1} & P \text{ S.req.01.1} & A \text{ req.01.1} & X \text{ req.01.1} \end{bmatrix} \coloneqq \text{Res}_{req.01.1} \\ \begin{bmatrix} \text{Run}_{01.1} & \Delta t_{01.1} & V \text{ HW.rat.trial.01.1} & P \text{ S.rat.trial.01.1} & N \text{ S.rat.trial.01.1} \end{bmatrix} \coloneqq \text{Final}_{rat.01.1} \\ \begin{bmatrix} V \text{ WG.trad.corr.01.1} & J \text{ HW.trad.corr.01.1} & K \text{ P.sup.trad.01.1} \end{bmatrix} \coloneqq \text{Internal}_{trad.01.1} \\ \begin{bmatrix} \text{Run}_{01.1} & \Delta t_{01.1} & V \text{ HW.trad.ref.01.1} & P \text{ S.trad.ref.01.1} & N \text{ S.trad.ref.01.1} \end{bmatrix} \coloneqq \text{Final}_{trad.01.1} \\ \end{bmatrix}$

Analyse power supplied including identification of tidal current

Conventions adopted

Propeller power convention

$$PS_{sup}(p, N, V) \coloneqq p_0 \cdot N^3 + p_1 \cdot N^2 \cdot V$$

Tidal current velocity convention

$$\mathbf{VT}(\mathbf{v}, \boldsymbol{\omega}_{T}, \Delta t) \coloneqq \mathbf{v}_{0} + \mathbf{v}_{1} \cdot \cos(\boldsymbol{\omega}_{T} \cdot \Delta t) + \mathbf{v}_{2} \cdot \sin(\boldsymbol{\omega}_{T} \cdot \Delta t)^{\bullet}$$

Evaluate

Res sup := Supplied $T(\rho, D_P, \Delta t, V_{HG}, \psi_{HG}, N_S, P_S)$

$$\begin{bmatrix} \Delta P_{S.sup} & v & V_{WG} \\ V_{HW} & p & P_{S.sup} \\ J_{HW} & p_n & K_{P.sup} \end{bmatrix} := \operatorname{Res}_{sup}$$



Nota bene: The propeller performance in the behind condition identified is that at the hull condition, the loading condition and the sea condition prevailing at the trials!

Supplied power residua

Check distribution of residua

Values of random variables need to be tested for normal distribution before using mean values and and standard deviations.



According to the result plotted the following error analysis is justified.

95 % confidence radius





Accordingly the conventions adopted 'describe' the power data perfectly well! The relatively small value of the confidence radius cannot be judged objectively, as the confidence ranges of the mean values have not been provided as in case of the analysis of the ANONYMA trials.

Current velocity identified



During the trials the current changed more than half a knot!

$$V_{WG.mean} := v_0 \qquad V_{WG.mean} \cdot \frac{m}{kts \cdot sec} = -0.669 \qquad \text{Nominal mean current in kts}$$
$$V_{WG.ampl} := \sqrt{(v_1)^2 + (v_2)^2} \qquad V_{WG.ampl} \cdot \frac{m}{kts \cdot sec} = 0.466 \qquad \text{Nominal tidal amplitude in kts}$$

Mean velocity over ground and mean power

$$nj := \frac{ni - 1}{2} \qquad j := 0 .. nj \qquad \Delta t_{mean_j} := \frac{\Delta t_{2 \cdot j} + \Delta t_{2 \cdot j + 1}}{2}$$
$$V_{HG.mean_j} := \frac{V_{HG_{2 \cdot j}} + V_{HG_{2 \cdot j + 1}}}{2} \qquad P_{S.sup.mean_j} := \frac{P_{S.sup_{2 \cdot j}} + P_{S.sup_{2 \cdot j + 1}}}{2}$$



In the present case the mean speed over ground happens to be equal to the speed over ground at the mean time between the two corresponding runs.

Compare with results of PATE_01.1

Powering performances



The powering performances in the behind conditon identified for the two different data sets are differing only very slightly in value and in tendency.

Currents



The currents identified for the two different data sets are also slightly differing .

Scrutinise results of an undisclosed traditional evaluation

Part 1 concerning the speed through the water

Hull speed thru water reported



Current velocity identified by traditional procedure

$$\mathbf{V}_{\mathbf{WG.trad}_{i}} \coloneqq \left(\mathbf{V}_{\mathbf{HG}_{i}} - \mathbf{V}_{\mathbf{HW.trad}_{i}} \right) \cdot \operatorname{dir} \left(\Psi_{\mathbf{HG}_{i}} \right)$$

Tidal approximation as in the rational evaluation

A WG.trad_{i,0} := 1 A WG.trad_{i,1} := $\cos(\omega_T \cdot \Delta t_i)$ A WG.trad_{i,2} := $\sin(\omega_T \cdot \Delta t_i)$ X WG.trad := $geninv(A WG.trad) \cdot V WG.trad$

	-0.816
X WG.trad =	0.264
	-0.122

- V WG.trad.corr := A WG.trad ·X WG.trad
- ΔV WG.trad := V WG.trad V WG.trad.corr

V HW.trad.corr_i := V HG_i + V WG.trad.corr_i · dir
$$(\Psi HG_i)$$





Nominal mean currents and tidal amplitudes compared

Mean difference of traditionally identified current

In view of the intricate current conditions in the East China Sea the comparison of the nominal tidal currents is not particularly meaningful, while the results plotted suggest the comparison of the mean difference in the currents identified being more reasonable in the present context.

$$\Delta V WG := V WG.trad - V WG$$
$$\Delta V WG.mean := mean (\Delta V WG)$$
$$\Delta V WG.mean \cdot \frac{m}{kts \cdot sec} = -0.325 kts$$

Check distribution of differences in current

$$\Delta \Delta V_{WG_{i}} \coloneqq \Delta V_{WG_{i}} - \Delta V_{WG.mean}$$

$$\begin{bmatrix} distr \ sampl \ sort \ sampl \ fair \ distr \ par \end{bmatrix} \coloneqq norm_distr(\Delta \Delta V_{WG})$$



According to the plot of differences in currents identified and the subsequent check of the distribution the differences are 'of cause' not quite normally distributed. Thus the following analysis is not quite justified.

95 % confidence radius

number of samples of parameters of degrees of freedom

$$n_{s} := ni - 1$$
 $n_{p} := 3$ $f := n_{s} - n_{p}$
 $\Delta\Delta V WG.95.rad := C 95 (\Delta\Delta V WG, f)$ $\Delta\Delta V WG.95.rad \cdot \frac{m}{kts \cdot sec} = 0.215$ kts
 $k := 0 .. 1$ $\Delta t_{plt_{0}} := -0.6$ $\Delta t_{plt_{1}} := 1.9$
 $\Delta\Delta V WG.50_{k} := 0$
 $\Delta\Delta V WG.95_{k} := \Delta\Delta V WG.95.rad$ $\Delta\Delta V WG.05_{k} := -\Delta\Delta V WG.95.rad$
 $Differences in current vs time$



 $\Delta t, \Delta t$ plt, Δt plt, Δt plt plt time in hrs

Shaft power ratios vs hull advance ratios

$$V_{HW.trad.corr_{i}} \coloneqq V_{HW_{i}} - \Delta V_{WG.mean} \cdot dir(\Psi_{HG_{i}})$$
$$J_{HW.trad.corr_{i}} \coloneqq \frac{V_{HW.trad.corr_{i}}}{D_{P} \cdot N_{S_{i}}}$$

Fairing power ratios

- $A_{KP_{i,k}} := \left(J_{HW.trad.corr_{i}}\right)^{k}$ $X_{KP} := geninv \left(A_{KP}\right) \cdot K_{P}$
- $K_{P.sup.trad} := A_{KP} \cdot X_{KP}$



Evidently the power ratios versus the advance ratios identified differ significantly in tendency. There may be many reasons, among them the surface effect due to the extremely small nominal propeller submergence not correctly being accounted for in the undisclosed traditional procedure.

Scrutinise results of an undisclosed traditional evaluation

End of Part 1 concerning the hull speed through the water

Analyse power required		
Specify relative environmental conditions		
Relative wind from ahead		
$\mathbf{V} = \mathbf{V} = \cos(\mathbf{u} \mathbf{v})$		
• $HA.x_i = V HA_i \cos(\Psi HA_i)$ • $HA.x =$		
Check wind speed over ground		
$\mathbf{V} = \langle \mathbf{V} \mathbf{V} \rangle d\mathbf{i} \mathbf{r} \langle \mathbf{u} \rangle$		
$\mathbf{A}\mathbf{G}_{i} = (\mathbf{V} \mathbf{H}\mathbf{A}\mathbf{x}_{i} = \mathbf{V} \mathbf{H}\mathbf{G}_{i})^{\mathbf{H}\mathbf{H}} (\mathbf{\Psi} \mathbf{H}\mathbf{G}_{i})$		

Approximate quadratically

$$k \coloneqq 0..3$$

$$A_{AG_{i,k}} \coloneqq (\Delta t_i)^k$$

$$X_{AG} \coloneqq geninv(A_{AG}) \cdot V_{AG}$$

$$X_{AG} = \begin{bmatrix} 13.629 \\ -0.890 \\ 0.582 \\ 0.156 \end{bmatrix}$$



Relative wind speed corrected

 $\Delta V_{AG} = V_{AG.rat} - V_{AG}$

$$\Delta V_{AG} = \begin{bmatrix} -0.888 \\ 1.732 \\ 0.559 \\ -1.462 \\ -1.803 \\ 0.988 \\ 1.761 \\ -0.887 \end{bmatrix}$$
Evidently the differences depend on the direction of the runs relative the wind.
But as oscillations of the wind speed over ground are not expected to correlate with the varying directions of the runs, a correction of this systematic effect, in the measured relative wind speed, maybe due to the installation of the wind meter, is appropriate. But it is worth noting, that the corrected values remain nominal values!

$$V_{\text{HA.rat}_{i}} := V_{\text{HG}_{i}} + V_{\text{AG.rat}_{i}} \cdot \operatorname{dir}(\Psi_{\text{HG}_{i}})$$
$$V_{\text{HA.rat}} = \begin{bmatrix} 20.124 \\ -6.566 \\ -5.394 \\ 20.062 \\ 20.746 \\ -4.856 \\ -5.025 \end{bmatrix}$$

22.175



Conventions adopted

First power' convention

$$P_{S.req.0}(q, V_{HW}) \coloneqq q_0 \cdot V_{HW}^{3}$$

Second power convention

$$\mathbf{P}_{S.req.1}(\mathbf{q}, \mathbf{V}_{HW}, \mathbf{V}_{HA}) \coloneqq \mathbf{q}_{1} \cdot \mathbf{V}_{HA} \mid \mathbf{V}_{HA} \mid \mathbf{V}_{HW}$$

Evaluation

$$\operatorname{Res}_{req} \coloneqq \operatorname{Required} \left(V_{HG}, P_{S.sup}, V_{HA.rat} \right)$$
$$\left[\Delta P_{S.req} \quad q \quad P_{S.req} \quad A_{req} \quad X_{req} \right] \coloneqq \operatorname{Res}_{req}$$

Check distribtution

$$\begin{bmatrix} distr sampl _{sort} & sampl _{fair} & distr _{par} \end{bmatrix} := norm_distr(\Delta P _{S.req})$$



Evidently the first value is an outlier as is also shown in the following plot. The following estimate of confidence is thus not quite justified.

95 % confidence radius

number of samplesof parametersof degrees of freedom
$$n_s := ni + 1$$
 $n_p := 2$ $f := n_s - n_p$ $P_{S.req.95} := C_{95} (\Delta P_{S.req}, f)$ $P_{S.req.95} = 0.439$ $k := 0 .. 1$ $\Delta t_{plt_0} := -0.6$ $\Delta t_{plt_1} := 1.9$ $\Delta P_{S.req.05_k} := -P_{S.req.95}$ $\Delta P_{S.req.50_k} := 0$ $\Delta P_{S.req.95_k} := P_{S.req.95}$



As usual the required power residua are much larger than in case of the supplied power due to the uncertainties in the wind measurements and the crude wave observations.

In view of the values of the powers measured the value of the confidence radius is felt to be quite realistic, the relative values ranging from 7.0 to 3.3 %.





First partial power required

$$P_{S.req.1} \coloneqq A_{req}^{<_0>} \cdot X_{req_0}$$



Second partial power required



Re-order runs

 $R_{i=0} := i + 4$

 $R^{<1>} = V_{HW}$

R := csort(R, 1)

Run := $R^{<0>}$

Run number re-ordered according to increasing hull speed through speed

The natural count of runs is coveniently reduced by 1!



Nota bene: The power at the nominal no wind condition identified is that at the hull condition, the loading condition and the sea condition prevailing at the trials!

Powering performance at the nominal no wind condition

Normalise power coefficient

$$C_{PV,n} := \frac{C_{PV} \cdot 10^{6}}{\rho \cdot D_{P}^{2}}$$

Identify equilibrium
$$J := 0.5 \quad K := 0.15 \quad \text{Initial values}$$
Given
$$K = p_{n_{0}} + p_{n_{1}} \cdot J$$

$$K = C_{PV,n} \cdot J^{3}$$
Solve
$$\begin{bmatrix} J_{HW,noVAW} \\ K_{P,noVAW} \end{bmatrix} := \text{Find}(J,K)$$

$$J_{HW,noVAW} = 0.699 \quad K_{P,noVAW} = 0.132$$

Results plotted

 $k \coloneqq 0..10$ $J_{HW.plt_{k}} \coloneqq 0.625 + 0.01 \cdot k$ $K_{P.sup.plt_{k}} \coloneqq p_{n_{0}} + p_{n_{1}} \cdot J_{HW.plt_{k}}$ $K_{P.req.plt_{k}} \coloneqq C_{PV.n} \cdot \left(J_{HW.plt_{k}}\right)^{3}$



hull advance ratios

Frequency of shaft rev's at the nominal no wind condition



Compare with results of PATE_01.1

Power



Evidently the final results do not differ for the two different data sets!

Scrutinise results of an undisclosed traditional evaluation

Part 2 concerning the powers supplied and required

The results of the traditional evaluation are those predicted for the reference condition, which differes only slightly from the trials condition.

Trials condition	Reference condition
T aft.trial := $7.42 \cdot m$	T aft.ref := $7.60 \cdot m$
T fore.trial := $6.12 \cdot m$	T fore.ref := $6.10 \cdot m$
D Vol.trial := $58894.1 \cdot m^3$	D Vol.ref := $59649.0 \cdot \text{m}^3$

Propeller power supplied (delivered) and shaft frequency at reference condition reported

$$\mathbf{V}_{\text{HW.trad}} = \begin{bmatrix} 6.369 \\ 6.611 \\ 7.573 \\ 7.351 \\ 7.953 \\ 8.149 \\ 8.349 \\ 8.128 \end{bmatrix}} \mathbf{P}_{\text{S.trad}} \coloneqq \begin{bmatrix} 4.4224 \\ 5.8975 \\ 9.2628 \\ 7.4969 \\ 9.8683 \\ 12.0176 \\ 12.7595 \\ 10.5436 \end{bmatrix} \cdot \mathbf{MW}_{\text{N}}_{\text{S.trad}} \coloneqq \begin{bmatrix} 75.8 \\ 81.8 \\ 94.6 \\ 89.4 \\ 97.5 \\ 102.7 \\ 105.0 \\ 99.7 \end{bmatrix} \cdot \mathbf{pm}_{\text{P}}_{\text{D}} \coloneqq \begin{bmatrix} 0.828 \\ 0.824 \\ 0.801 \\ 0.808 \\ 0.780 \\ 0.780 \\ 0.770 \\ 0.781 \end{bmatrix}$$

$$P_{S.trad} := \frac{P_{S.trad}}{MW}$$
 $N_{S.trad} := \frac{N_{S.trad}}{Hz}$

 $ref^{<0>} := V_{HW.trad} \qquad ref^{<1>} := P_{S.trad} \qquad ref^{<2>} := N_{S.trad} \qquad ref^{<3>} := \eta_{D}$ ref := csort(ref,0) $V_{HW.trad.ref} := ref^{<0>} \quad P_{S.trad.ref} := ref^{<1>} \qquad N_{S.trad.ref} := ref^{<2>} \qquad \eta_{D.trad} := ref^{<1>}$

As far as has been disclosed the results of the traditional evaluation are based on the considerable number of nine small corrections and most importantly on the 'calculated propulsive efficiency values' reported, as has been explicitly stated in a remark.



Evidently the results of the rational evaluation at the trials condition, requiring no prior data, and the results of the traditional evaluation at the only slightly different reference condition, requiring very many prior data, last but not least the computed values of the propulsive efficiency, are very nearly the same, not to say 'identical'.

Computed values of the propulsive efficiency analysed

k := 0..1
A
$$_{eta_{i,k}}$$
 := $(V HW.trad.ref_i)^k$
X $_{eta}$:= $geninv(A _{eta}) \cdot \eta _D$
 $\eta _{D.trad}$:= $A _{eta} \cdot X _{eta}$
 $\eta _{D.trad.mean}$:= $mean(\eta _{D.trad})$

 $\eta_{\text{D.trad.m}_i} = \eta_{\text{D.trad.mean}}$



This analysis shows that the traditional evaluation is practically in accordance with the convention, implying that the propeller is permanently operating at the same normalised condition, resulting in the quadratic resistance law.

$$C_{RV.tot} = \eta_{D.trad.mean} \cdot C_{PV}$$

$$\mathbb{R}_{\text{HW.trad.tot}_{j}} \coloneqq \mathbb{C}_{\text{RV.tot}} \cdot \left(\mathbb{V}_{\text{HW.trad.ref}_{j}} \right)^{2}$$

How the computed values of the propulsive efficiency have been arrived at in the traditional evaluation remains undisclosed, while **the resistance and the propulsive efficiency can be identified in a rational way solely from data acquired at quasi-steady monitoring tests without any prior information what-so-ever being necessary,** as has been shown in a 'model' study published on my website and in the Festschrift 'From METEOR 1988 to ANONYMA 2013 and further' also to be found on the website.

Scrutinise results of an undisclosed traditional evaluation

End of Part 2 concerning the powers supplied and required

Recording results of the rational evaluation at the trial condition of the traditional evaluation at the reference condition

 $\Delta t_{trad} := \Delta t$

File := concat("Results_", EID)

WRITEPRN(File) := Record

Print final rational results

final rat^{<0>} := Run
final rat^{<1>} := V HW.rat.trial
$$\frac{m}{kts \cdot sec}$$

final rat^{<2>} := P S.rat.trial
final rat^{<3>} := N S.rat.trial $\frac{min}{sec}$
final rat^{<3>} := N S.rat.trial $\frac{min}{sec}$
final rat⁼

$$\begin{cases} 4.000 & 12.072 & 4.729 & 75.632 \\ 5.000 & 13.299 & 6.322 & 83.317 \\ 7.000 & 13.915 & 7.242 & 87.178 \\ 6.000 & 14.997 & 9.064 & 93.951 \\ 8.000 & 15.203 & 9.443 & 95.243 \\ 11.000 & 15.296 & 9.618 & 95.826 \\ 9.000 & 16.150 & 11.321 & 101.177 \\ 10.000 & 16.347 & 11.740 & 102.410 \end{cases}$$

Conclusions

For the whole context and for more details the Conclusions of PATE_01 should be referred to!

The rational evaluation produces nearly the same results for the two data sets analysed. In the near future a data set further reduced, to include only the data of three double runs as usually performed, will be analysed in PATE_01.3.

For the rational evaluation the change from the trials condition to the reference condition results in an increase in the resistance due to the change in the displacement volume, and in an increase in the propulsive efficiency due to the larger nominal submergence of the propeller, maybe compensating each other.

But the result of the rational evaluation still includes the relatively small power required for moving in the sea state reported. Thus the strictly accidental coincidence of the results in powers remains as unexplained as the whole undisclosed traditional procedure. In fact any traditional procedure is doomed to fail in any cases where no prior experience and data are available.

END

Powering performance of a bulk carrier during speed trials in ballast condition reduced to nominal no wind condition